## Saitsfing Statemenis

## Explainaiton

> The problem
> Alison $=$ multiples of 5
> Becky $=$ triangular numbers
> Sam $=$ even,but not multiples 4
> Matt $=$ multiples of 3 but not multiples of 9
> Needs to be a 2 digit numbers
1.Find numbers that belong in two sets
2.Find numbers that belong in three sets
3.Find the smallest numbers that belongs in all 4 sets So
Q 1. $15,21,66,78,10,30,50,70,90,28,42,48,55,60,75$
Numbers that meet Alison's and Becky's conditions are 10,15,45,55
Numbers that meet Becky's and Sam's conditions are 10,66,78
Numbers that meet Sam's and Matt's criteria are 30,42,66

Numbers that meet Matt's and Alison's are 15,30,60,75, Q 2. $15,66,78,10,30$

KEY
Triangular numbers = blue
Multiples of 5 = green
Even but not multiples of 4 = green
Multiples of 3 but not multiples of $9=$ orange

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Q 3． X It is impossible，But why？？？

A .numbers that are multiples of five as well ase triangular numbers are 10, 15, 45 and 55 . Out of these four numbers 10 is the only even no. but it is not the multiple of 3 .
We did not find any two digit nos that meet all four conditions.
Numbers that have three criteria are
15,66,78,10,30
15 does not match Sam's criteria
66 and 78 are not multiples of 5
10 is not multiple of 3
And 30 is not a triangular numbers.

